

PISA and Policy Relevance – Three Examples of Analyses

Introduction	224
Example 1: Gender differences in performance	224
Example 2: Promoting socio-economic diversity within school?	228
Example 3: The influence of an educational system on the expected	
occupational status of students at age 30	234
Conclusion	237



INTRODUCTION

This chapter will provide three examples of possible analyses with PISA data. The examples will begin with a concrete policy question which will be followed by a step-by-step analysis:

- 1. how to translate a policy question into a working hypothesis;
- 2. how to choose the most appropriate approach to answer the hypothesis;
- 3. how to compute, referring to the relevant chapters in this manual on technical matters;
- 4. how to interpret the results;
- 5. how to draw policy recommendations.

The first example will investigate how to determine which student population should be targeted by an educational reform designed to reduce the gender gap in reading. As it will be demonstrated, the male student distribution differs from the female student distribution, not only by their mean but also by their standard deviation.

The second example will scrutinise the school composition effect in a particular country, *i.e.* Belgium. In addition to the potential efficiency of promoting socio-economic diversity within schools, this example also illustrates the usefulness of the PISA data for answering a policy question in a specific national context.

The last example will explore the influence of some characteristics at the educational system level on the students' expected occupational status at age 30. It will be extended to the issue of segregation in academic performance.

EXAMPLE 1: GENDER DIFFERENCES IN PERFORMANCE

It is current practice to build efficiency and equity indicators of educational systems based on national or international surveys. International agencies, including the OECD, regularly release updated sets of indicators (e.g. OECD's Education at a Glance). Among equity indicators, differences of achievement in various domains (mainly reading, mathematics and science) between males and females are often presented. Computing these indicators does not raise technical problems and there is relative consensus among modern democratic societies that the gender gap in performance should be reduced. Until recently, the major concern was to improve females' achievement in scientific domains; but, currently, there is a growing concern about males' underachievement in reading literacy.

Lietz (2006) conducted a meta-analysis of gender differences in reading at the secondary education level. Results indicated that: (i) gender differences existed across the 139 studies under review that were not due to chance; and (ii) slightly over half of these differences could be explained by differences in the design of some of the large-scale assessment programmes included in the meta-analysis and the basis of calculating effect size. Further, the reason for greater gender differences in more recent assessment programmes which could, for example, be related to item selection procedures, contextual changes surrounding reading in society and at school, or the scaling of reading scores, warrant further scrutiny (Lietz, 2006, pp. 336-337).

Lafontaine and Monseur (forthcoming) has explored the impact of some of the test characteristics – especially the question format, the reading process and the type of texts – on gender equity indicators in reading literacy. They concluded that:

the variance analysis clearly shows that the reading aspect has a larger impact (24% of variance explained) than item format on the difference in reading achievement between males and females. But item format also makes a striking difference (16% of variance explained). The type of text appears to be one of the major



factors contributing to gender differences. This result is not surprising and can be related to the differences in written material regularly read by males and females respectively.

In summary, PISA and other large-scale assessments have shown the evidence of females outperforming males in reading and recent methodological investigations have pointed out the influence of item format, type of texts and reading aspects on the size of the gender gap.

However, few recommendations are provided to policy makers to reduce these gender differences. Should remediation programmes designed to reduce the gender gap in reading target all male students or primarily male low performers? In other words, is the gender difference constant or variable across the ability range? According to Wagemaker (1996, p. 42) based on the IEA Reading Literacy Study, "in some countries, it is evident that disparity between boys and girls is not uniformly systematic across the ability distribution." PISA offers a unique opportunity to test the hypothesis of a larger distribution for males. Indeed, data are collected every three years in three domains, *i.e.* reading literacy, mathematics literacy and science literacy.

As a starting point, the hypothesis can be translated as follows: there is no statistical difference between the standard deviation computed on the male population and the standard deviation computed on the female population. Mathematically, the null hypothesis can be written as:

$$H_0: \sigma_{males} - \sigma_{females} = 0$$

The standard deviations for each domain and on the first three data collections have been computed for males and for females and then compared. However, as illustrated in Chapter 11, the two standard deviation estimates are not independent. Therefore, the significance test for the gender difference in standard deviation requires the use of the MCR_SE_DIFF_PV macro. Box 16.1 presents the syntax for testing the similarity of the standard deviations.

Box 16.1 SPSS® syntax for testing the gender difference in standard deviations of reading performance (e.g. PISA 2000)

```
GET FILE="C:\PISA\2000\DATA\INTSTUD READ.SAV".
SELECT IF (CNT="AUS" | CNT="AUT" | CNT="BEL" | CNT="CAN" | CNT="CZE" | CNT="DNK"
           CNT="FIN" | CNT="FRA" | CNT="DEU" | CNT="GRC" | CNT="HUN" | CNT="ISL"
            CNT="IRL" | CNT="ITA" | CNT="JPN" | CNT="KOR" | CNT="LUX" | CNT="MEX"
           CNT="NLD" | CNT="NZL" | CNT="NOR" | CNT="POL" | CNT="PRT" | CNT="SVK"
           CNT="ESP" | CNT="SWE" | CNT="CHE" | CNT="TUR" | CNT="GBR" | CNT="USA").
SAVE OUTFILE="C:\TEMP\STUDENT.SAV".
INSERT FILE="C:\PISA\MACRO\MCR SE DIFF PV.SPS".
SET MPRINT=YES.
DIF PV DEP=PV1READ PV2READ PV3READ PV4READ PV5READ/
        STAT=STDDEV/
        COMPARE=ST03Q01/
        CATEG= 1 2/
        INFILE=C:\TEMP\STUDENT.SAV/
                                        /*default=NOWITHIN*/
        WITHIN=CNT/
        WGT=W FSTUWT/
                                        /*default=W FSTUWT*/
        RWGT=W FSTR/
                                        /*default=W FSTR */
                                                            */
                                        /*default=0.05
        CONS=0.05/
        NREP=80/.
                                        /*default=80
                                                            */
```



Table 16.1 presents the differences in the standard deviations between males and females by domain and by country in PISA 2000. For instance, in Australia, the difference in the standard deviation between males and females is equal to 6.94 with a standard error of 2.48. As (6.94/2.48) is greater than 1.96, this difference is significant. The standard deviation of the male student performance in reading is higher by 6.94 than the standard deviation of the female student performance in reading. In other words, the performance of males varies more than the performance of females.

Table 16.1

Differences between males and females in the standard deviation of student performance (PISA 2000)

					· · · · · · · · · · · · · · · · · · ·	
	Reading		Mathematics		Science	
	Difference (males – females)	S.E.	Difference (males – females)	S.E.	Difference (males – females)	S.E.
AUS	6.94	(2.48)	3.45	(3.31)	6.58	(2.98)
AUT	4.12	(2.74)	6.75	(3.23)	4.06	(2.99)
BEL	8.16	(3.44)	7.24	(3.25)	10.66	(4.81)
CAN	5.22	(1.10)	5.16	(1.33)	4.65	(1.44)
CHE	3.44	(2.26)	3.47	(3.68)	4.02	(3.07)
CZE	11.92	(4.14)	8.01	(3.38)	7.9	(3.87)
DEU	5.58	(5.23)	0.93	(3.76)	1.67	(3.74)
DNK	6.68	(3.16)	4.3	(3.56)	6.5	(3.73)
ESP	9.33	(2.32)	7.01	(2.70)	8.83	(2.74)
FIN	6.21	(3.19)	1.41	(2.79)	8.52	(2.65)
FRA	8.19	(2.35)	5.82	(2.42)	5.91	(3.27)
GBR	5.71	(2.43)	7.06	(3.12)	4.02	(3.55)
GRC	10.09	(3.28)	9.55	(4.78)	8.11	(3.98)
HUN	2.54	(2.81)	1.44	(3.85)	3.01	(3.22)
IRL	4.35	(2.87)	3.27	(3.65)	3.55	(3.28)
ISL	8.72	(2.32)	4.77	(3.44)	6.03	(3.07)
ITA	9.75	(4.19)	5.92	(4.16)	9.81	(4.56)
JPN	11.19	(3.34)	11.64	(5.24)	12.74	(4.07)
KOR	3.84	(2.79)	2.21	(4.09)	2.31	(3.45)
LUX	5.45	(3.28)	7.02	(4.08)	9.81	(4.19)
MEX	3.69	(2.49)	6.32	(3.03)	5.73	(3.10)
NOR	12.42	(2.62)	9.58	(3.20)	11.27	(3.74)
NZL	9.04	(3.06)	9.82	(3.54)	7.77	(3.50)
POL	10.25	(3.69)	11.83	(4.48)	6.59	(3.82)
PRT	6.96	(2.64)	1.41	(4.17)	4.7	(3.08)
SVK		(0.00)		(0.00)		(0.00)
SWE	5.84	(2.40)	2.7	(3.46)	6.43	(3.63)
TUR		(0.00)		(0.00)		(0.00)
USA	12.89	(3.24)	9.15	(2.64)	12.27	(4.40)

Note: Differences that statistically differ from 0 are in bold.

Table 16.2 provides a summary of gender differences in standard deviation for reading, mathematics and science performance in PISA 2000, PISA 2003 and PISA 2006. Of the 260 comparisons, only 6 are negative, meaning that the standard deviation for females is higher than the standard deviation for males. Further, 177 differences, *i.e.* 68%, are positive and differ significantly from 0, which means that the distribution of the male performance is more widespread than the distribution of the female performance.

Table 16.2

Distribution of the gender differences (males – females) in the standard deviation of the student performance

	Domain	Negative non-significant difference	Positive non-significant difference	Positive significant difference
	Reading	0	9	18
PISA 2000	Mathematics	0	13	14
	Science	0	13	14
	Reading	0	8	22
PISA 2003	Mathematics	2	7	21
	Science	0	12	18
	Reading	0	4	25
PISA 2006	Mathematics	2	6	22
	Science	2	5	23



To better understand why the standard deviation is higher for males than for females, 5th, 10th, 90th and 95th percentiles are computed by gender on the combined reading scale in PISA 2000. A macro exclusively devoted to the computation of percentiles on plausible values has been developped. Box 16.2 presents the SPSS® syntax for computing the difference for the 5th percentile. Table 16.3 presents the differences between males and females in these percentiles.

Table 16.3

Gender difference on the PISA combined reading scale for the 5th, 10th, 90th and 95th percentiles (PISA 2000)

	5 th	10 th	90 th	95 th
	Difference	Difference	Difference	Difference
AUS	-44.5	-40.5	-21.6	-20.3
AUT	-38.5	-35.1	-19.1	-18.8
BEL	-38.8	-43.4	-16.4	-14.1
CAN	-42.8	-41.3	-25.3	-22.9
CHE	-24.5	-24.4	-20.6	-17.6
CZE	-68.2	-56.6	-21.5	-20.3
DEU	-56.1	-45.2	-25.4	-21.6
ONK	-41.0	-35.9	-16.4	-14.5
SP	-37.3	-37.0	-11.1	-8.5
IN	-65.4	-68.1	-40.0	-39.8
RA	-46.5	-44.5	-20.1	-18.4
GBR	-38.6	-32.2	-17.9	-14.1
GRC	-52.3	-53.9	-23.4	-22.5
HUN	-34.0	-34.1	-26.1	-23.9
RL	-30.6	-32.4	-20.0	-19.0
SL	-54.8	-56.3	-26.1	-23.4
TA	-54.2	-49.0	-23.4	-22.2
PN	-56.7	-49.4	-18.5	-17.3
KOR	-28.0	-21.1	-13.3	-13.3
_UX	-34.7	-35.0	-19.6	-14.6
MEX	-21.6	-22.8	-13.2	-11.5
NOR	-61.0	-62.4	-28.7	-25.3
NZL	-68.0	-61.7	-34.0	-33.9
POL	-49.4	-53.3	-24.5	-22.5
PRT	-29.3	-33.4	-9.6	-6.7
SWE	-43.8	-49.5	-29.6	-27.7
USA	-52.4	-52.2	-11.1	-7.7
OECD average	-44.9	-43.4	-21.4	-19.3

Box 16.2 SPSS® syntax for computing the 5th percentile of the reading performance by gender (e.g. PISA 2000)

```
INSERT FILE="C:\PISA\MACRO\MCR_SE_PERCENTILES_PV.SPS".
SET MPRINT=YES.

PCTILE    PV=PV1READ PV2READ PV3READ PV4READ PV5READ/
        PTILES=5/
        INFILE=C:\TEMP\STUDENT.SAV/
        GRP=CNT ST03Q01/
        WGT=W_FSTUWT/
        RWGT=W_FSTR/
        NREP=80/
        CONS=0.05/.
```

On average, across OECD countries, the gender differences are equal to -45, -43, -21 and -19 for the 5th, 10th, 90th and 95th percentiles respectively. It therefore appears that the gender gap varies according to the level of proficiency, the difference in performance between males and females being greater for low achievers than it is for high achievers.



Next, let's examine whether the gender difference is constant or not according to the different types of items. Two new reading scales are computed: the first scale is based on multiple-choice items and the second scale is based on open-ended items. Table 16.4 presents the difference between the standard deviation for males and the standard deviation for females. On average, the standard deviation for males is greater than females by 3.8 on the multiple-choice item scale, and by 8.2 on the open-ended item scale.

Table 16.4

Gender difference in the standard deviation for the two different item format scales in reading (PISA 2000)

	Scale of multiple-choice	items	Scale of open-ended i	tems
	Difference (males – females) in the standard deviation	S.E.	Difference (males – females) in the standard deviation	S.E.
AUS	4.7	(3.1)	8.8	(3.1)
AUT	1.2	(2.5)	4.4	(3.0)
BEL	3.3	(3.0)	7.9	(3.2)
CAN	3.7	(1.4)	6.5	(1.5)
CHE	3.1	(2.7)	4.6	(3.1)
CZE	2.0	(2.6)	8.2	(3.1)
DEU	-1.2	(3.7)	4.7	(3.6)
DNK	2.5	(2.7)	6.8	(3.3)
ESP	4.3	(2.1)	10.8	(2.1)
FIN	6.1	(3.0)	9.2	(2.3)
FRA	4.2	(2.6)	8.6	(2.6)
GBR	2.5	(3.1)	5.4	(2.8)
GRC	4.7	(3.4)	13.6	(3.5)
HUN	-0.7	(3.3)	3.7	(3.2)
IRL	2.9	(3.0)	6.4	(2.8)
ISL	7.7	(3.6)	12.1	(3.0)
ITA	1.7	(2.9)	9.2	(3.6)
JPN	4.3	(3.1)	13.4	(3.6)
KOR	1.8	(3.0)	5.2	(2.1)
LUX	3.7	(3.4)	5.4	(3.6)
MEX	2.8	(2.6)	3.5	(3.5)
NOR	8.0	(3.1)	12.8	(3.7)
NZL	6.6	(3.6)	9.0	(4.3)
POL	6.0	(3.7)	12.5	(3.7)
PRT	4.6	(2.7)	8.1	(2.8)
SWE	5.4	(2.3)	6.2	(2.7)
USA	6.9	(3.2)	14.5	(3.4)
OECD average	3.8	(0.6)	8.2	(0.6)

The item format is therefore related to the gender difference in the performance distribution. Increasing the proportion of multiple-choice items will minimise the difference between males and females in performance dispersion. As the proportion of open-ended items increase, the difference between males and females in performance distribution will increase.

In conclusion, the results suggest that any strategies aimed at reducing the gender gap should target male low performers. The consistent findings of the wider gender gap for students at the lower end of performance, in conjunction with the impact of item format on the standard deviation, might also suggest a tendency of male low performers to invest less in schoolwork than female low performers. Even if some studies demonstrate that reading disabilities are more frequent in males than in females (Rutter *et al.*, 2004), remedial strategies will have to take into account student motivation and behaviour in school.

EXAMPLE 2: PROMOTING SOCIO-ECONOMIC DIVERSITY WITHIN SCHOOL?

A few decades ago, some OECD countries set up a school catchment area that obliges students to attend their local schools. Countries with such a school attendance policy usually present small between-school variance (i.e., intraclass correlation coefficients) in students' performance and students' socio-economic background indicator. Every school, in some sense, has students who represent the population in the area that the school is located in.



In other countries, parents are free to select the school their children attend. This freedom generally tends to be related to an increase between-school variance in students' performance and students' socio-economic background. The PISA initial reports have extensively discussed such equity issues and equity in educational opportunity is an important issue that policy makers can no longer ignore (OECD, 2004, 2007). Belgium is one of the countries which show large between-school variance in student performance in science and the majority of which are explained by the student and school socio-economic background, together with other OECD countries including Austria, Czech Republic, Germany, Hungary and the Netherlands (OECD, 2007, Table 4.1a). For these countries, what would be the best strategy to provide students with equal educational opportunity regardless of their socio-economic background? The following section will examine this issue, taking Belgium as an example.

As illustrated in Figure 1.1 in Chapter 1 of this manual, between-school variance in performance (i.e. academic segregation) and between-school variance in students' socio-economic background (i.e. social segregation) are closely intertwined. Unfortunately, it is not easy to know whether social segregation is an antecedent or a consequence of academic segregation. For example, in countries with a substantial proportion of students enrolled in private schools with admission fees, one might suspect that academic segregation is partly a consequence of social segregation. In some other countries where students are grouped at an early age according to their performance, social segregation may be a consequence of academic segregation.

Before adopting a specific educational reform, it is important to disentangle the relationship between social segregation and academic segregations and help policy makers know where to target a reform. For example, even if a reform is designed to decrease the difference in school socio-economic intake, the reform would fail when social segregation is simply the consequence of academic segregation.

In this example, the PISA index of economic, social and cultural status (ESCS) is used as an indicator of the student socio-economic background. As described in Chapter 15, estimating the importance of the school socio-economic composition effect on student performance requires the computation of the school average PISA index of economic, social and cultural status (ESCS) of student. The composition effect, then, can be estimated with the following multilevel model:

$$\begin{aligned} \mathbf{y}_{ij} &= \boldsymbol{\beta}_{0j} + \boldsymbol{\beta}_{1j} \left(\textit{ESCS} \right) + \boldsymbol{\mathcal{E}}_{ij} \\ \boldsymbol{\beta}_{0j} &= \boldsymbol{\gamma}_{00} + \boldsymbol{\gamma}_{01} \left(\textit{MU_ESCS} \right) + \boldsymbol{U}_{0j} \\ \boldsymbol{\beta}_{1j} &= \boldsymbol{\gamma}_{10} \end{aligned}$$

In the educational system in Belgium, the school socio-economic composition has an important impact on student performance, as illustrated in Model 2 in Table 16.5.

Table 16.5

Random and fixed parameters in the multilevel model with student and school socio-economic background

	Mod	lel 1	Mod	del 2
	Estimate	S.E.	Estimate	S.E.
$ au_0^2$	5113.8	(142.5)	1456.7	(88.8)
σ^2	4750.7	(126.7)	4568.4	(118.1)
Intercept	509.9	(0.3)	491.3	(0.5)
ESCS			17.3	(1.2)
MU_ESCS			102.6	(1.5)

Note: These results are computed by SAS®.



An increase of 1 point on the school socio-economic intake variable (*i.e.* school average ESCS) is associated with an increase of 102.6 points in science. As the school socio-economic intake in Belgium ranges from -1.73 to 1.63, the difference in science performance between the most disadvantaged and the most advantaged schools in Belgium is more than 300 score points.

It should also be noted that the student socio-economic background and the school socio-economic background explain about 72% of the school variance, *i.e.* (5 113.8-1 456.7)/5 113.8.

In Belgium, the educational system consists of three types of secondary schools: (i) schools that provide general education only; (iii) schools that provide vocational education only; (iii) schools that provide both general and vocational education.

Before starting the multilevel analysis, a data file is prepared, as shown in Box 16.3. Two dummy variables are created to differentiate the three types of schools: GEN for the schools that provide only general education and VOC for the schools that provide only vocational education. The detailed description for the variable REPEAT and MU_REPEAT is provided later in this section.

Box 16.3 SPSS® syntax for preparing a data file for the multilevel analysis

```
GET FILE="C:\PISA\2006\DATA\INT STU06 DEC07.SAV".
SELECT IF (CNT="BEL").
RECODE ST01Q01 (9=1) (8=2) (7=3) (10 thru Highest=0) INTO REPEAT.
RECODE ISCEDO (3=1) (1=0) INTO VOCA.
SELECT IF NOT (SYSMISS (REPEAT)).
SAVE OUTFILE="C:\TEMP\TEMP1.SAV"
EXECUTE.
SORT CASES BY CNT(A) SCHOOLID(A) STIDSTD(A).
WEIGHT BY W FSTUWT.
AGGREGATE
  /OUTFILE=* MODE=ADDVARIABLES
  /BREAK=SCHOOLID
  /MU REPEAT=MEAN (REPEAT)
  /MU ESCS=MEAN(ESCS).
WEIGHT OFF.
AGGREGATE
  /OUTFILE=* MODE=ADDVARIABLES
  /BREAK=SCHOOLID
         /MU VOCA=SUM(VOCA)
  /N VOCA=NU(VOCA)
  /NMIS VOCA=NUMISS(VOCA).
COMPUTE GEN=0.
COMPUTE VOC=0.
COMPUTE N=N VOCA - NMIS VOCA.
IF (N=MU VOCA) VOC=1.
IF (MU VOCA=0) GEN=1.
SELECT IF NOT (SYSMISS (MU ESCS) | MISSING (ESCS)).
AGGREGATE
  /OUTFILE=* MODE=ADDVARIABLES
  /BREAK=CNT
         /WGTSUM=SUM(W FSTUWT)
  /SIZE=NU(W FSTUWT).
COMPUTE W FSTUWT=(W FSTUWT/WGTSUM)*SIZE.
DO REPEAT a= W FSTR1 to W_FSTR80.
COMPUTE a = (a/WGTSUM) * SIZE.
END REPEAT.
SAVE OUTFILE="C:\TEMP\TEMP2.SAV".
```



As a first step, preliminary analysis is conducted, using only one plausible value without replicates, to examine if the school composition effect differs according to school type. Box 16.4 presents the SPSS® syntax for this preliminary analysis and Box 16.5 presents the SAS® output of this model as SPSS® MIXED procedure cannot deal with fractional weights (see detail in Chapter 15). As shown in Box 16.4, analysing the variability of the school composition effect according to school type can be modelled by Level 2 interactions (*i.e.* mu_escs*gen and mu_escs*voc). It is also necessary, as described in Chapter 15, to include them (*i.e.* gen and voc) as the main effects.

Box 16.4 SPSS® syntax for running a preliminary multilevel analysis with one PV

```
GET FILE="C:\TEMP\TEMP2.SAV".

WEIGHT OFF.
MIXED PV1SCIE WITH ESCS MU_ESCS GEN VOC

/FIXED=INTERCEPT ESCS MU_ESCS GEN VOC MU_ESCS*GEN MU_ESCS*VOC

/METHOD=ML

/PRINT=G SOLUTION

/RANDOM=INTERCEPT | SUBJECT(SCHOOLID)

/REGWGT=W_FSTUWT.
```

Box 16.5 Estimates of fixed parameters in the multilevel model

	Solution for	Fixed Effec	ts (Produc	ed by SAS®)	
		Standard			
Effect	Estimate	Error	DF	t Value	Pr > t
Intercept	485.19	3.2541	263	149.10	<.0001
ESCS	17.0069	0.9346	8506	18.20	<.0001
mu_escs	120.78	8.6052	8506	14.04	<.0001
gen	54.3207	8.9145	8506	6.09	<.0001
VOC	1.2123	6.0937	8506	0.20	0.8423
mu_escs*gen	-77.8060	14.2017	8506	-5.48	<.0001
mu_escs*voc	-40.9547	13.9624	8506	-2.93	0.0034

The school composition effect shown in Box 16.4 is the effect compared with a reference group, *i.e.* schools providing both general and vocational education. The school composition effect for schools providing general education only is equal to 43, *i.e.* 120.78-77.80, and the school composition effect for schools providing vocational education only is equal to 80, *i.e.* 120.78-40.95. However, these results were obtained by using only one plausible value and the macro was not used so that standard errors are not unbiased.

According to *Les indicateurs de l'enseignement* (2007, p. 35), a student who has to repeat a grade in secondary education is two or three times more likely to move to another school than to repeat the grade in the same school in the French-speaking community in Belgium. Further, usually, the student will move to a school that has a lower socio-economic intake.

The grade repetition information was therefore added to the previous model both at the student and school levels. The proportion of grade repetition at the school level is a proxy of academic segregation. In Belgium, as compulsory education is dictated by the calendar year of birth and as the PISA target population is also



defined in term of the calendar year, it is straightforward to determine if a student is in the expected grade or not. The difference in years between the expected grade and the actual grade is computed at the student level (*i.e.* REPEAT) and the school average of these differences is also computed at the school level (*i.e.* MU_REPEAT), as seen in Box 16.3. These variables are included as independent variables.

It is also possible to model cross-level interactions for analysing the differences between the three types of schools as shown in the model in Box 16.3. Here, however, in order to facilitate the readability of the results, a multilevel model is run separately for each of the three school types. The final model can be written as:

$$\begin{aligned} \mathbf{y}_{ij} &= \boldsymbol{\beta}_{0j} + \boldsymbol{\beta}_{1j} \, (ESCS) + \boldsymbol{\beta}_{2j} \, (REPEAT) \\ \boldsymbol{\beta}_{0j} &= \gamma_{00} + \gamma_{10} \, (MU_ESCS) + \gamma_{20} \, (MU_REPEAT) \\ \boldsymbol{\beta}_{10} &= \gamma_{10} \\ \boldsymbol{\beta}_{20} &= \gamma_{20} \end{aligned}$$

If the school socio-economic composition effect decreases substantially by introducing the grade repetition variables, this means that social segregation is mainly a result of academic segregation in Belgium.

Table 16.6 presents the fixed and random parameters estimates of the final model as well as two previous models, *i.e.* the empty model (Model 1) and the model with student and school socio-economic background (Model 2). Preliminally analysis can be conducted with the SPSS® MCR_ML_PV macro as shown in Box 16.6. The final estimates and their respective standard errors were obtained with SAS® as shown in Table 16.6.

The intraclass correlation on the whole population is equal to 0.52. It is respectively equal to 0.42, 0.26 and 0.42 for schools providing both general and vocational education, for schools providing general education only, and for schools providing vocational education only. Therefore, in Belgium, differences between schools in performance are small for the schools providing general education only, but large for schools providing vocational education or schools providing both general and vocational education.

The results of Model 2 indicate that the school socio-economic composition effects are important for students in schools providing both general and vocational education and to a lesser extent for students in schools providing vocational education only. On the other hand, the school socio-economic composition effect is small for students in schools providing general education. The percentage of school variance explained by the student socio-economic background and the school socio-economic intake are respectively equal to 66%, 38% and 58% for population in schools providing both general and vocation education, in schools providing general education only and in schools providing vocational education only.

The results of Model 3 illustrate the importance of the academic segregation in Belgium, even within school types. Indeed, the introduction of the grade repetition information substantially reduces the school composition effect. For instance, in schools providing general education only, this effect changes from 48.3 to 15.1 and from 86.0 to 12.7 for schools providing vocational education only. This reduction also reflects the high correlation between the school socio-economic intake and the percentage of over-aged students.

In conclusion, these results indicate that social segregation in the Belgian educational system is mainly an outcome of academic segregation. Thus, promoting social diversity within each school, without taking into account academic segregation, will not substantially reduce educational inequities.



Table 16.6

Random and fixed parameters in the multilevel model with socio-economic background and grade retention at the student and school levels

		Schools providing both general and vocational education										
	Mod	del 1	Model 2		Model 3							
	Estimate	S.E.	Estimate	S.E.	Estimate	S.E.						
$ au_0^2$	4115.4	(149.8)	1400.4	(96.5)	666.9	(90.4)						
σ^2	5582.0	(335.5)	5271.2	(310.0)	4516.3	(256.9)						
Intercept	486.9	(0.5)	485.3	(0.6)	539.9	(3.4)						
ESCS			22.0	(1.6)	18.6	(1.6)						
MU_ESCS			114.9	(2.5)	57.6	(4.7)						
REPEAT					-49.0	(2.0)						
MU_REPEAT					-55.8	(7.1)						

Schools providing general education only Model 1 Model 2 Model 3 Estimate S.E. Estimate S.E. S.E. Estimate au_0^2 1350.2 (105.7)(91.3) (50.0) 842.4 377.6 σ^2 3740.9 (299.8)3663.3 (290.3)3326.4 (235.3)Intercept 578.1 (0.6)539.8 (1.6)587.5 (2.3)**ESCS** 12.1 (2.1)9.6 (2.0)MU ESCS 48.3 (3.0)15.1 (3.0)REPEAT -45.2 (3.7)MU_REPEAT -90.3 (6.9)

	School providing vocational education only										
	Mod	del 1	del 2	Mod	lel 3						
	Estimate	S.E.	Estimate	S.E.	Estimate	S.E.					
$ au_0^2$	3185.9	(251.6)	1346.1	(144.4)	569.9	(127.4)					
$\sigma^{\scriptscriptstyle 2}$	4363.0	(437.2)	4251.6	(438.2)	3924.5	(403.2)					
Intercept	468.6	(1.0)	486.0	(0.8)	531.8	(1.9)					
ESCS			13.1	(2.6)	11.1	(2.5)					
MU_ESCS			86.0	(4.0)	12.7	(5.7)					
REPEAT					-38.9	(5.6)					
MU_REPEAT					-78.1	(7.9)					

Note: These results are computed by SAS®.

Box 16.6 SPSS® syntax for running preliminaly analysis with the MCR_ML_PV macro

INSERT FILE="C:\PISA\MACRO\MCR ML PV.SPS". SET MPRINT=YES. MIXED_PV INFILE=C:\TEMP\TEMP2.SAV/ DEP=PV1SCIE PV2SCIE PV3SCIE PV4SCIE PV5SCIE / GRP=CNT GEN VOC/. EXECUTE. INFILE=C:\TEMP\TEMP2.SAV/ MIXED PV DEP=PV1SCIE PV2SCIE PV3SCIE PV4SCIE PV5SCIE / FIXEF=ESCS MU ESCS/ GRP=CNT GEN VOC/. EXECUTE. INFILE=C:\TEMP\TEMP2.SAV/ MIXED PV DEP=PV1SCIE PV2SCIE PV3SCIE PV4SCIE PV5SCIE / FIXEF=ESCS MU ESCS REPEAT MU REPEAT/ GRP=CNT GEN VOC/. EXECUTE.



EXAMPLE 3: THE INFLUENCE OF AN EDUCATIONAL SYSTEM ON THE EXPECTED OCCUPATIONAL STATUS OF STUDENTS AT AGE 30

This section examines the influence of an educational system on the expected occupational status of students at age 30. In PISA 2000 and PISA 2006 students were asked to report on their expected occupation at the age of 30. The open-ended responses for occupations were coded in accordance with the International Standard Classification of Occupations (ISCO 1988), to derive students' expected occupational status mapped to the International Socio-Economic Index of Occupational Status (ISEI) (Ganzebom *et al.*, 1992).

The structure of the educational system was assessed through the academic segregation and social segregation coefficients, as described in Chapter 1. By way of reminder, the two SPSS® macros devoted to multilevel modelling return the intraclass correlation and its standard error. In Chapter 1, some of the consequences of social and/or academic segregations have been listed. Monseur and Crahay (forthcoming) demonstrated that as social and academic segregations increase, (i) the difference between low performers and high performers increases; (ii) the difference between disadvantaged and advantaged socio-economic backgrounds of students increases; and (iii) the correlation between the student socio-economic background and his/her performance in reading increases.

Table 16.7
Segregation indices and correlation coefficients by country (PISA 2000)

	Segregation indices (intraclass correlation coefficient)							Correlatio	n between:		
		erformance ading	index of occu	ocio-economic pational status SEI)		expected onal status	Student performance in reading and students' expected occupational status		index of oo status (HISEI)	International socio-economic index of occupational status (HISEI) and students' expected occupational status	
	rho	S.E.	rho	S.E.	rho	S.E.	Coefficient	S.E.	Coefficient	S.E.	
AUS	0.18	(0.01)	0.17	(0.01)	0.09	(0.01)	0.41	(0.02)	0.24	(0.02)	
AUT	0.60	(0.02)	0.23	(0.01)	0.42	(0.02)	0.42	(0.02)	0.34	(0.02)	
BEL	0.60	(0.01)	0.24	(0.01)	0.38	(0.01)	0.51	(0.02)	0.37	(0.02)	
CAN	0.18	(0.01)	0.12	(0.00)	0.07	(0.00)	0.30	(0.01)	0.17	(0.01)	
CHE	0.43	(0.02)	0.18	(0.01)	0.26	(0.02)	0.45	(0.02)	0.37	(0.02)	
CZE	0.53	(0.01)	0.20	(0.02)	0.38	(0.02)	0.52	(0.01)	0.35	(0.02)	
DEU	0.59	(0.01)	0.21	(0.01)	0.31	(0.02)	0.46	(0.02)	0.30	(0.02)	
DNK	0.19	(0.03)	0.13	(0.02)	0.10	(0.03)	0.42	(0.02)	0.31	(0.03)	
ESP	0.20	(0.01)	0.26	(0.02)	0.08	(0.01)	0.41	(0.01)	0.26	(0.02)	
FIN	0.12	(0.04)	0.13	(0.01)	0.05	(0.01)	0.38	(0.02)	0.26	(0.02)	
FRA	0.50	(0.01)	0.20	(0.01)	0.28	(0.01)	0.46	(0.01)	0.31	(0.02)	
GBR	0.22	(0.01)	0.16	(0.01)	0.08	(0.01)	0.41	(0.01)	0.27	(0.02)	
GRC	0.51	(0.02)	0.22	(0.02)	0.22	(0.02)	0.40	(0.02)	0.28	(0.02)	
HUN	0.67	(0.01)	0.30	(0.01)	0.40	(0.02)	0.51	(0.02)	0.36	(0.02)	
IRL	0.18	(0.02)	0.13	(0.01)	0.05	(0.01)	0.42	(0.02)	0.24	(0.02)	
ISL	0.08	(0.02)	0.15	(0.03)	0.04	(0.03)	0.34	(0.02)	0.22	(0.02)	
ITA	0.55	(0.02)	0.22	(0.01)	0.38	(0.02)	0.31	(0.02)	0.31	(0.02)	
JPN	0.46	(0.01)	0.06	(0.01)	0.09	(0.02)	0.18	(0.03)	0.13	(0.03)	
KOR	0.37	(0.01)	0.19	(0.01)	0.18	(0.01)	0.29	(0.02)	0.21	(0.02)	
LUX	0.31	(0.01)	0.20	(0.01)	0.20	(0.02)	0.29	(0.02)	0.23	(0.02)	
MEX	0.53	(0.01)	0.33	(0.02)	0.13	(0.02)	0.20	(0.02)	0.18	(0.02)	
NLD	0.50	(0.02)	0.13	(0.02)	0.19	(0.02)	0.45	(0.02)	0.25	(0.03)	
NOR	0.10	(0.02)	0.09	(0.01)	0.07	(0.01)	0.42	(0.02)	0.31	(0.02)	
NZL	0.16	(0.01)	0.12	(0.01)	0.06	(0.01)	0.38	(0.02)	0.25	(0.02)	
POL	0.62	(0.01)	0.24	(0.01)	0.53	(0.02)	0.54	(0.02)	0.34	(0.02)	
PRT	0.37	(0.02)	0.23	(0.01)	0.09	(0.01)	0.41	(0.02)	0.29	(0.02)	
SWE	0.09	(0.01)	0.12	(0.01)	0.05	(0.01)	0.36	(0.02)	0.24	(0.02)	
USA	0.29	(0.02)	0.15	(0.01)	0.05	(0.01)	0.27	(0.02)	0.14	(0.02)	



Three other indicators were computed for assessing the influence of the educational system on the index of expected occupational status of students:

- 1. the percentage of variance in students' expected occupational status that lies between schools;
- 2. the correlation between students' expected occupational status and student performance;
- 3. the correlation between students' expected occupational status and the international socio-economic index of occupational status (HISEI) for parents.

It is assumed that in highly tracked or segregated educational systems:

- 1. the intraclass correlation for students' expected occupational status will be higher,
- 2. the correlation between students' expected occupational status and student performance will be higher,
- 3. the correlation between students' expected occupational status and the international socio-economic index of occupational status (HISEI) for parents will be higher.

Table 16.7 and Table 16.8 present these five indicators respectively for PISA 2000 data and for PISA 2006. These five indicators include: the segregation indices (*i.e.* intraclass correlation coefficients) of student performance; international socio-economic index of occupational status (HISEI); and students' expected occupational status; as well as the correlation coefficients between student performance and students' expected occupational status; and between HISEI and students' expected occupational status.

Table 16.8
Segregation indices and correlation coefficients by country (PISA 2006)

		Segregation indices (intraclass correlation coefficient)							n between:			
	Student performance in science		index of occu	ocio-economic pational status SEI)		expected onal status	Student performance in science and students' expected occupational status		index of oc status (HISEI)	national socio-economic dex of occupational is (HISEI) and students' cted occupational status		
	rho	S.E.	rho	S.E.	rho	S.E.	Coefficient	S.E.	Coefficient	S.E.		
AUS	0.18	(0.01)	0.16	(0.01)	0.08	(0.01)	0.39	(0.01)	0.22	(0.01)		
AUT	0.55	(0.01)	0.26	(0.01)	0.46	(0.01)	0.39	(0.04)	0.36	(0.02)		
BEL	0.52	(0.01)	0.22	(0.01)	0.36	(0.01)	0.48	(0.02)	0.33	(0.02)		
CAN	0.19	(0.01)	0.12	(0.00)	0.08	(0.00)	0.28	(0.01)	0.20	(0.01)		
CHE	0.36	(0.01)	0.15	(0.01)	0.17	(0.01)	0.30	(0.02)	0.25	(0.01)		
CZE	0.53	(0.02)	0.26	(0.02)	0.34	(0.02)	0.50	(0.02)	0.35	(0.02)		
DEU	0.57	(0.01)	0.21	(0.01)	0.29	(0.02)	0.43	(0.02)	0.34	(0.02)		
DNK	0.16	(0.02)	0.10	(0.01)	0.07	(0.01)	0.41	(0.02)	0.27	(0.02)		
ESP	0.15	(0.01)	0.21	(0.01)	0.06	(0.00)	0.42	(0.02)	0.25	(0.01)		
FIN	0.06	(0.01)	0.10	(0.01)	0.05	(0.01)	0.39	(0.02)	0.28	(0.02)		
FRA	0.54	(0.01)	0.28	(0.02)	0.31	(0.02)	0.43	(0.02)	0.33	(0.02)		
GBR	0.20	(0.01)	0.13	(0.01)	0.08	(0.00)	0.42	(0.02)	0.26	(0.01)		
GRC	0.47	(0.02)	0.29	(0.02)	0.30	(0.02)	0.45	(0.02)	0.26	(0.02)		
HUN	0.61	(0.02)	0.28	(0.02)	0.41	(0.02)	0.45	(0.02)	0.30	(0.02)		
IRL	0.17	(0.02)	0.17	(0.01)	0.07	(0.01)	0.42	(0.02)	0.26	(0.02)		
ISL	0.09	(0.03)	0.13	(0.03)	0.07	(0.03)	0.34	(0.02)	0.22	(0.02)		
ITA	0.50	(0.01)	0.20	(0.01)	0.36	(0.01)	0.31	(0.02)	0.28	(0.01)		
JPN	0.47	(0.01)	0.10	(0.01)	0.16	(0.01)	0.26	(0.03)	0.17	(0.02)		
KOR	0.35	(0.01)	0.13	(0.01)	0.11	(0.01)	0.35	(0.02)	0.13	(0.02)		
LUX	0.30	(0.01)	0.24	(0.01)	0.26	(0.02)	0.42	(0.02)	0.30	(0.02)		
MEX	0.40	(0.04)	0.25	(0.01)	0.08	(0.01)	0.13	(0.02)	0.12	(0.01)		
NLD	0.60	(0.01)	0.18	(0.01)	0.32	(0.01)	0.49	(0.01)	0.29	(0.02)		
NOR	0.11	(0.01)	0.12	(0.01)	0.05	(0.01)	0.37	(0.02)	0.25	(0.02)		
NZL	0.17	(0.01)	0.12	(0.01)	0.07	(0.01)	0.35	(0.02)	0.23	(0.02)		
POL	0.14	(0.01)	0.19	(0.01)	0.05	(0.01)	0.43	(0.01)	0.29	(0.01)		
PRT	0.32	(0.01)	0.26	(0.01)	0.10	(0.01)	0.41	(0.02)	0.29	(0.02)		
SVK	0.42	(0.02)	0.23	(0.02)	0.31	(0.02)	0.44	(0.02)	0.32	(0.02)		
SWE	0.12	(0.02)	0.12	(0.01)	0.07	(0.01)	0.31	(0.02)	0.23	(0.01)		
TUR	0.53	(0.02)	0.18	(0.01)	0.23	(0.02)	0.35	(0.02)	0.15	(0.02)		
USA	0.24	(0.01)	0.15	(0.01)	0.04	(0.01)	0.22	(0.02)	0.13	(0.01)		



Figure 16.1 presents the correlation at the country level between the segregation index of student performance in reading and the segregation index of students' expected occupational status. It can be observed in this figure that the segregation index of students' expected occupational status increases as the academic segregation increases. This result makes sense as in highly segregated educational systems, low performers are more likely to attend vocational schools that train students for specific types of occupations.

Figure 16.1

Relationship between the segregation index of students' expected occupational status and the segregation index of student performance in reading (PISA 2000)

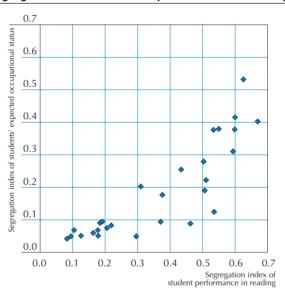


Figure 16.2
Relationship between the segregation index of students' expected occupational status and the correlation between HISEI and students' expected occulational status

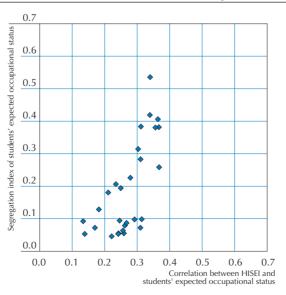




Figure 16.2 is quite appealing. As the intraclass correlation of the students' expected occupational status increases, the correlation between the parents occupation and the self-expected correlation tends to be higher than what is observed in non-segregated educational systems.

Table 16.9 and Table 16.10 present the correlation at the country level between the five indicators.

As shown by Tables 16.9 and 16.10, academic segregation is highly associated with the segregation index of students' expected occupational status which seems to reinforce the correlation between: (i) performance and students' expected occupational status; and (ii) parents' occupational status and students' expected occupational status.

Table 16.9
Country correlations (PISA 2000)

	Segregation index of international socio-economic index of occupational status (HISEI)	Segregation index of students' expected occupational status	Correlation between student performance in reading and students' expected occupational status	Correlation between international socio-economic index of occupational status (HISE) and students' expected occupational status
Segregation index of student performance in reading	0.63	0.86	0.28	0.43
Segregation index of international socio-economic index of occupational status (HISEI)		0.58	0.24	0.41
Segregation index of students' expected occupational status			0.54	0.69
Correlation between student performance in reading and students' expected occupational status				0.85

Table 16.10
Country correlations (PISA 2006)

	Segregation index of international socio-economic index of occupational status (HISEI)	Segregation index of students' expected occupational status	Correlation between student performance in science and students' expected occupational status	Correlation between international socio-economic index of occupational status (HISEI) and students' expected occupational status
Segregation index of student performance in science	0.65	0.88	0.23	0.29
Segregation index of international socio-economic index of occupational status (HISEI)		0.69	0.38	0.48
Segregation index of students' expected occupational status			0.45	0.60
Correlation between student performance in science and students' expected occupational status				0.78

CONCLUSION

This chapter illustrated how policy relevant questions might be at least partially answered by PISA data. The first example addressed an important equity issue, *i.e.* the gender gap in reading. Results indicate that education reforms for reducing the gender gap in reading performance should be targeted at low male achievers. It also identified the methodological concern of the impact of item format on the respective



standard deviation for boys and for girls. This is obviously an area where PISA offers extensive opportunities for methodological research.

The second example demystified the concept of school socio-economic composition in a particular context and revealed that in Belgium, social segregation mainly results from academic segregation.

Finally, the last example broadened the consequences on segregated education systems to students' expected occupational status at the age of 30. It concretised the long-term effects of educational policies.



References

Beaton, A.E. (1987), The NAEP 1983-1984 Technical Report, Educational Testing Service, Princeton.

Beaton, A.E., et al. (1996), Mathematics Achievement in the Middle School Years, IEA's Third International Mathematics and Science Study, Boston College, Chestnut Hill, MA.

Bloom, B.S. (1979), Caractéristiques individuelles et apprentissage scolaire, Éditions Labor, Brussels.

Bressoux, P. (2008), Modélisation statistique appliquée aux sciences sociales, De Boek, Brussels.

Bryk, A.S. and S.W. Raudenbush (1992), Hierarchical Linear Models for Social and Behavioural Research: Applications and Data Analysis Methods, Sage Publications, Newbury Park, CA.

Buchmann, C. (2000), Family structure, parental perceptions and child labor in Kenya: What factors determine who is enrolled in school? aSoc. Forces, No. 78, pp. 1349-79.

Cochran, W.G. (1977), Sampling Techniques, J. Wiley and Sons, Inc., New York.

Dunn, O.J. (1961), "Multilple Comparisons among Menas", *Journal of the American Statistical Association*, Vol. 56, American Statistical Association, Alexandria, pp. 52-64.

Kish, L. (1995), Survey Sampling, J. Wiley and Sons, Inc., New York.

Knighton, T. and P. Bussière (2006), "Educational Outcomes at Age 19 Associated with Reading Ability at Age 15", Statistics Canada, Ottawa.

Gonzalez, E. and A. Kennedy (2003), PIRLS 2001 User Guide for the International Database, Boston College, Chestnut Hill, MA.

Ganzeboom, H.B.G., P.M. De Graaf and D.J. Treiman (1992), "A Standard International Socio-economic Index of Occupation Status", Social Science Research 21(1), Elsevier Ltd, pp 1-56.

Goldstein, H. (1995), Multilevel Statistical Models, 2nd Edition, Edward Arnold, London.

Goldstein, H. (1997), "Methods in School Effectiveness Research", School Effectiveness and School Improvement 8, Swets and Zeitlinger, Lisse, Netherlands, pp. 369-395.

Hubin, J.P. (ed.) (2007), Les indicateurs de l'enseignement, 2nd Edition, Ministère de la Communauté française, Brussels.

Husen, T. (1967), International Study of Achievement in Mathematics: A Comparison of Twelve Countries, Almqvist and Wiksells, Uppsala.

International Labour Organisation (ILO) (1990), *International Standard Classification of Occupations: ISCO-88*. Geneva: International Labour Office.

Lafontaine, D. and C. Monseur (forthcoming), "Impact of Test Characteristics on Gender Equity Indicators in the Assessment of Reading Comprehension", European Educational Research Journal, Special Issue on PISA and Gender.

Lietz, P. (2006), "A Meta-Analysis of Gender Differences in Reading Achievement at the Secondary Level", Studies in Educational Evaluation 32, pp. 317-344.

Monseur, C. and M. Crahay (forthcoming), "Composition académique et sociale des établissements, efficacité et inégalités scolaires : une comparaison internationale – Analyse secondaire des données PISA 2006", Revue française de pédagogie.

OECD (1998), Education at a Glance – OECD Indicators, OECD, Paris.

OECD (1999a), Measuring Student Knowledge and Skills – A New Framework for Assessment, OECD, Paris.

OECD (1999b), Classifying Educational Programmes - Manual for ISCED-97 Implementation in OECD Countries, OECD, Paris.

OECD (2001), Knowledge and Skills for Life – First Results from PISA 2000, OECD, Paris.

OECD (2002a), Programme for International Student Assessment - Manual for the PISA 2000 Database, OECD, Paris.



OECD (2002b), Sample Tasks from the PISA 2000 Assessment – Reading, Mathematical and Scientific Literacy, OECD, Paris.

OECD (2002c), Programme for International Student Assessment - PISA 2000 Technical Report, OECD, Paris.

OECD (2002d), Reading for Change: Performance and Engagement across Countries - Results from PISA 2000, OECD, Paris.

OECD (2003a), Literacy Skills for the World of Tomorrow – Further Results from PISA 2000, OECD, Paris.

OECD (2003b), The PISA 2003 Assessment Framework – Mathematics, Reading, Science and Problem Solving Knowledge and Skills, OECD, Paris.

OECD (2004a), Learning for Tomorrow's World – First Results from PISA 2003, OECD, Paris.

OECD (2004b), Problem Solving for Tomorrow's World – First Measures of Cross-Curricular Competencies from PISA 2003, OECD, Paris.

OECD (2005a), PISA 2003 Technical Report, OECD, Paris.

OECD (2005b), PISA 2003 Data Analysis Manual, OECD, Paris.

OECD (2006), Assessing Scientific, Reading and Mathematical Literacy: A Framework for PISA 2006, OECD, Paris.

OECD (2007), PISA 2006: Science Competencies for Tomorrow's World, OECD, Paris.

OECD (2009), PISA 2006 Technical Report, OECD, Paris.

Peaker, G.F. (1975), An Empirical Study of Education in Twenty-One Countries: A Technical report. International Studies in Evaluation VIII, Wiley, New York and Almqvist and Wiksell, Stockholm.

Rust, K.F. and J.N.K. Rao (1996), "Variance Estimation for Complex Surveys Using Replication Techniques", Statistical Methods in Medical Research, Vol. 5, Hodder Arnold, London, pp. 283-310.

Rutter, M., et al. (2004), "Gender Differences in Reading Difficulties: Findings from Four Epidemiology Studies", Journal of the American Medical Association 291, pp. 2007-2012.

Schulz, W. (2006), Measuring the socio-economic background of students and its effect on achievement in PISA 2000 and PISA 2003, Paper presented at the Annual Meetings of the American Educational Research Association (AERA) in San Francisco, 7-11 April.

Wagemaker, H. (1996), Are Girls Better Readers. Gender Differences in Reading Literacy in 32 Countries, IEA, The Hague.

Warm, T.A. (1989), "Weighted Likelihood Estimation of Ability in Item Response Theory", *Psychometrika*, Vol. 54(3), Psychometric Society, Williamsburg, VA., pp. 427-450.

Wright, B.D. and M.H. Stone (1979), Best Test Design: Rasch Measurement, MESA Press, Chicago.



Table of contents

FOREWORD	3
USER'S GUIDE	17
CHAPTER 1 THE USEFULNESS OF PISA DATA FOR POLICY MAKERS, RESEARCHERS AND EXPERT	
ON METHODOLOGY	
PISA – an overview	
• The PISA surveys	
How can PISA contribute to educational policy, practice and research? • Key results from PISA 2000, PISA 2003 and PISA 2006	
Further analyses of PISA datasets	25
Contextual framework of PISA 2006	28
Influence of the methodology on outcomes	31
CHAPTER 2 EXPLORATORY ANALYSIS PROCEDURES	35
Introduction	36
Weights	36
Replicates for computing the standard error	39
Plausible values	43
Conclusion	45
CHAPTER 3 SAMPLE WEIGHTS	47
Introduction	48
Weights for simple random samples	49
Sampling designs for education surveys	51
Why do the PISA weights vary?	55
Conclusion	56
CHAPTER 4 REPLICATE WEIGHTS	57
Introduction	58
Sampling variance for simple random sampling	58
Sampling variance for two-stage sampling	
Replication methods for simple random samples	68
Replication methods for two-stage samples	70
The Jackknife for unstratified two-stage sample designs	
■ The Jackknife for stratified two-stage sample designs	
The Balanced Repeated Replication method	
Other procedures for accounting for clustered samples	74
Conclusion	7/



CHAPTER 5 THE RASCH MODEL	77
Introduction	78
How can the information be summarised?	78
The Rasch Model for dichotomous items	79
■ Introduction to the Rasch Model	79
Item calibration	
Computation of a student's score	
Computation of a student's score for incomplete designs	
Optimal conditions for linking items Federal of the Break Medal.	
Extension of the Rasch Model	
Other item response theory models	
Conclusion	92
CHAPTER 6 PLAUSIBLE VALUES	93
Individual estimates versus population estimates	92
The meaning of plausible values (PVs)	
Comparison of the efficiency of WLEs, EAP estimates and PVs for the estimation	0-
of some population statistics	
How to perform analyses with plausible values Conclusion	
Conclusion	101
CHAPTER 7 COMPUTATION OF STANDARD ERRORS	103
Introduction	104
The standard error on univariate statistics for numerical variables	104
The SPSS® macro for computing the standard error on a mean	107
The standard error on percentages	110
The standard error on regression coefficients	112
The standard error on correlation coefficients	114
Conclusion	115
CHAPTER 8 ANALYSES WITH PLAUSIBLE VALUES	117
Introduction	118
Univariate statistics on plausible values	
The standard error on percentages with PVs	
The standard error on regression coefficients with PVs	
The standard error on correlation coefficients with PVs	
Correlation between two sets of plausible values	
A fatal error shortcut	
An unbiased shortcut	
Conclusion	
CHAPTER 9 USE OF PROFICIENCY LEVELS	133
Introduction	
Generation of the proficiency levels	
Other analyses with proficiency levels	
Conclusion	141



CHAPTER 10 ANALYSES WITH SCHOOL-LEVEL VARIABLES	143
Introduction	144
Limits of the PISA school samples	145
Merging the school and student data files	146
Analyses of the school variables	146
Conclusion	148
CHAPTER 11 STANDARD ERROR ON A DIFFERENCE	140
Introduction	
Statistical issues and computing standard errors on differences.	
The standard error on a difference without plausible values.	
The standard error on a difference with plausible values	
Multiple comparisons.	
Conclusion	162
CHAPTER 12 OECD TOTAL AND OECD AVERAGE	163
Introduction	
Recoding of the database to estimate the pooled OECD total and the pooled OECD average	
Duplication of the data to avoid running the procedure three times	
Comparisons between the pooled OECD total or pooled OECD average estimates	
and a country estimate	169
Comparisons between the arithmetic OECD total or arithmetic OECD average estimates	474
and a country estimate	
Conclusion	1/1
CHAPTER 13 TRENDS	173
Introduction	
The computation of the standard error for trend indicators on variables other than performance	
The computation of the standard error for trend indicators on performance variables	177
Conclusion	181
CHAPTER 14 STUDYING THE RELATIONSHIP BETWEEN STUDENT PERFORMANCE AND INDIC	ES
DERIVED FROM CONTEXTUAL QUESTIONNAIRES	183
Introduction	184
Analyses by quarters	184
The concept of relative risk	186
■ Instability of the relative risk	
Computation of the relative risk	188
Effect size	191
Linear regression and residual analysis	193
■ Independence of errors	193
Statistical procedure	196
Conclusion	197



200
202
202
205
207
207
209 214
217
219
219
221
223
224
224
228
status
234
237
239
240
240
321
999
323
324
332
341
aire350
352
359
363
de items407
de items407 ems427
de items407 ems427 439
de items407 ems427



LIST OF BOXES

Box 2.1	WEIGHT statement in SPSS®	37
Box 7.1	SPSS® syntax for computing 81 means (e.g. PISA 2003)	104
Box 7.2	SPSS® syntax for computing the mean of HISEI and its standard error (e.g. PISA 2003)	107
Box 7.3	SPSS® syntax for computing the standard deviation of HISEI and its standard error by gender (e.g. PISA 2003)	109
Box 7.4	SPSS® syntax for computing the percentages and their standard errors for gender (e.g. PISA 2003)	110
Box 7.5	SPSS® syntax for computing the percentages and its standard errors for grades by gender (e.g. PISA 2003)	112
Box 7.6	SPSS® syntax for computing regression coefficients, R² and its respective standard errors: Model 1 (e.g. PISA 2003)	113
Box 7.7	SPSS® syntax for computing regression coefficients, R² and its respective standard errors: Model 2 (e.g. PISA 2003)	114
Box 7.8	SPSS® syntax for computing correlation coefficients and its standard errors (e.g. PISA 2003)	114
Box 8.1	SPSS® syntax for computing the mean on the science scale by using the MCR_SE_UNIV macro (e.g. PISA 2006)	119
Box 8.2	SPSS® syntax for computing the mean and its standard error on PVs (e.g. PISA 2006)	120
Box 8.3	SPSS® syntax for computing the standard deviation and its standard error on PVs by gender (e.g. PISA 2006)	131
Box 8.4	SPSS® syntax for computing regression coefficients and their standard errors on PVs by using the MCR_SE_REG macro (<i>e.g.</i> PISA 2006)	122
Box 8.5	SPSS® syntax for running the simple linear regression macro with PVs (e.g. PISA 2006)	123
Box 8.6	SPSS® syntax for running the correlation macro with PVs (e.g. PISA 2006)	124
Box 8.7	SPSS® syntax for the computation of the correlation between mathematics/quantity and mathematics/ space and shape by using the MCR_SE_COR_2PV macro (e.g. PISA 2003)	126
Box 9.1	SPSS® syntax for generating the proficiency levels in science (e.g. PISA 2006)	135
Box 9.2	SPSS® syntax for computing the percentages of students by proficiency level in science and its standard errors (e.g. PISA 2006)	136
Box 9.3	SPSS® syntax for computing the percentage of students by proficiency level in science and its standard errors (e.g. PISA 2006)	138
Box 9.4	SPSS® syntax for computing the percentage of students by proficiency level and its standard errors by gender (e.g. PISA 2006)	138
Box 9.5	SPSS® syntax for generating the proficiency levels in mathematics (e.g. PISA 2003)	139
Box 9.6	SPSS® syntax for computing the mean of self-efficacy in mathematics and its standard errors by proficiency level (e.g. PISA 2003)	140
Box 10.1	SPSS® syntax for merging the student and school data files (e.g. PISA 2006)	146
Box 10.2	Question on school location in PISA 2006	147
Box 10.3	SPSS® syntax for computing the percentage of students and the average performance in science, by school location (<i>e.g.</i> PISA 2006)	147
Box 11.1	SPSS® syntax for computing the mean of job expectations by gender (e.g. PISA 2003)	152
Box 11.2	SPSS® macro for computing standard errors on differences (e.g. PISA 2003)	155



Box 11.3	Alternative SPSS® macro for computing the standard error on a difference for a dichotomous variable (e.g. PISA 2003)	
Box 11.4	SPSS® syntax for computing standard errors on differences which involve PVs (e.g. PISA 2003)	.158
Box 11.5	SPSS® syntax for computing standard errors on differences that involve PVs (e.g. PISA 2006)	.160
Box 12.1	SPSS® syntax for computing the pooled OECD total for the mathematics performance by gender (e.g. PISA 2003)	.166
Box 12.2	SPSS® syntax for the pooled OECD average for the mathematics performance by gender (e.g. PISA 2003)	.167
Box 12.3	SPSS® syntax for the creation of a larger dataset that will allow the computation of the pooled OECD total and the pooled OECD average in one run (e.g. PISA 2003)	.168
Box 14.1	SPSS® syntax for the quarter analysis (e.g. PISA 2006)	.185
Box 14.2	SPSS® syntax for computing the relative risk with five antecedent variables and five outcome variables (e.g. PISA 2006)	
Box 14.3	SPSS® syntax for computing the relative risk with one antecedent variable and one outcome variable (e.g. PISA 2006)	.190
Box 14.4	SPSS® syntax for computing the relative risk with one antecedent variable and five outcome variables (e.g. PISA 2006)	
Box 14.5	SPSS® syntax for computing effect size (e.g. PISA 2006)	.192
Box 14.6	SPSS® syntax for residual analyses (e.g. PISA 2003)	
Box 15.1	Normalisation of the final student weights (e.g. PISA 2006)	203
Box 15.2	SPSS® syntax for the decomposition of the variance in student performance in science (e.g. PISA 2006)	
Box 15.3	SPSS® syntax for normalising PISA 2006 final student weights with deletion of cases with missing values and syntax for variance decomposition (e.g. PISA 2006)	
Box 15.4	SPSS® syntax for a multilevel regression model with random intercepts and fixed slopes (e.g. PISA 2006)	
Box 15.5	Results for the multilevel model in Box 15.4	
Box 15.6	SPSS® syntax for a multilevel regression model (e.g. PISA 2006)	
Box 15.7	Results for the multilevel model in Box 15.6	
Box 15.8	Results for the multilevel model with covariance between random parameters	.212
Box 15.9	Interpretation of the within-school regression coefficient	
Box 15.10	SPSS® syntax for a multilevel regression model with a school-level variable (e.g. PISA 2006)	.214
Box 15.11	SPSS® syntax for a multilevel regression model with interaction (e.g. PISA 2006)	
Box 15.12	Results for the multilevel model in Box 15.11	.216
Box 15.13	SPSS® syntax for using the multilevel regression macro (e.g. PISA 2006)	.217
Box 15.14	SPSS® syntax for normalising the weights for a three-level model (e.g. PISA 2006)	.219
Box 16.1	SPSS® syntax for testing the gender difference in standard deviations of reading performance (e.g. PISA 2000)	.225
Box 16.2	SPSS® syntax for computing the 5th percentile of the reading performance by gender (e.g. PISA 2000)	227
Box 16.3	SPSS® syntax for preparing a data file for the multilevel analysis	
	, , , , , , , , , , , , , , , , , , , ,	



Box 16.4	SPSS® syntax for running a preliminary multilevel analysis with one PV	231
Box 16.5	Estimates of fixed parameters in the multilevel model	231
Box 16.6	SPSS® syntax for running preliminaly analysis with the MCR_ML_PV macro	233
Box 17.1	SPSS® macro of MCR_SE_UNI.sps	243
Box 17.2	SPSS® macro of MCR_SE_PV.sps	247
Box 17.3	SPSS® macro of MCR_SE_PERCENTILES_PV.sps	251
Box 17.4	SPSS® macro of MCR_SE_GrpPct.sps	254
Box 17.5	SPSS® macro of MCR_SE_PctLev.sps	257
Box 17.6	SPSS® macro of MCR_SE_REG.sps	261
Box 17.7	SPSS® macro of MCR_SE_REG_PV.sps	265
Box 17.8	SPSS® macro of MCR_SE_COR.sps	270
Box 17.9	SPSS® macro of MCR_SE_COR_1PV.sps	273
Box 17.10	SPSS® macro of MCR_SE_COR_2PV.sps	277
Box 17.11	SPSS® macro of MCR_SE_DIFF.sps	281
Box 17.12	SPSS® macro of MCR_SE_DIFF_PV.sps	285
Box 17.13	SPSS® macro of MCR_SE_PV_WLEQRT.sps	290
Box 17.14	SPSS® macro of MCR_SE_RR.sps	295
Box 17.15	SPSS® macro of MCR_SE_RR_PV.sps	298
Box 17.16	SPSS® macro of MCR_SE_EFFECT.sps	302
Box 17.17	SPSS® macro of MCR_SE_EFFECT_PV.sps	306
Box 17.18	SPSS® macro of MCR_ML.sps	311
Box 17.19	SPSS® macro of MCR_ML_PV.sps	315
Box A1.1	Descriptive statistics of background and explanatory variables	326
Box A1.2	Background model for student performance	327
Box A1.3	Final net combined model for student performance	328
Box A1.4	Background model for the impact of socio-economic background	329
Box A1.5	Model of the impact of socio-economic background: "school resources" module	330
Box A1.6	Model of the impact of socio-economic background: "accountability practices" module	331
Box A1.7	Final combined model for the impact of socio-economic background	331
LIST OF FI	GURES	
Figure 1.1	Relationship between social and academic segregations	27
Figure 1.2	Relationship between social segregation and the correlation between science performance and student HISEI	27
Figure 1.3	Conceptual grid of variable types	29
Figure 1.4	Two-dimensional matrix with examples of variables collected or available from other sources	30
Figure 2.1	Science mean performance in OECD countries (PISA 2006)	37
Figure 2.2	Gender differences in reading in OECD countries (PISA 2000)	38
Figure 2.3	Regression coefficient of ESCS on mathematic performance in OECD countries (PISA 2003)	38
Figure 2.4	Design effect on the country mean estimates for science performance and for ESCS in OECD countries (PISA 2006)	41
Figure 2.5	Simple random sample and unbiased standard errors of ESCS on science performance in OECD countries (PISA 2006)	es 42



Figure 4.1	Distribution of the results of 36 students	58
Figure 4.2	Sampling variance distribution of the mean	60
Figure 5.1	Probability of success for two high jumpers by height (dichotomous)	80
Figure 5.2	Probability of success for two high jumpers by height (continuous)	
Figure 5.3	Probability of success to an item of difficulty zero as a function of student ability	
Figure 5.4	Student score and item difficulty distributions on a Rasch continuum	84
Figure 5.5	Response pattern probabilities for the response pattern (1, 1, 0, 0)	86
Figure 5.6	Response pattern probabilities for a raw score of 1	87
Figure 5.7	Response pattern probabilities for a raw score of 2	88
Figure 5.8	Response pattern probabilities for a raw score of 3	88
Figure 5.9	Response pattern likelihood for an easy test and a difficult test	
Figure 5.10	Rasch item anchoring	
Figure 6.1	Living room length expressed in integers	94
Figure 6.2	Real length per reported length	95
Figure 6.3	A posterior distribution on a test of six items	96
Figure 6.4	EAP estimators	97
Figure 8.1	A two-dimensional distribution	125
Figure 8.2	Axes for two-dimensional normal distributions	125
Figure 13.1	Trend indicators in PISA 2000, PISA 2003 and PISA 2006	175
Figure 14.1	Percentage of schools by three school groups (PISA 2003)	194
Figure 15.1	Simple linear regression analysis versus multilevel regression analysis	201
Figure 15.2	Graphical representation of the between-school variance reduction	
Figure 15.3	A random multilevel model	
Figure 15.4	Change in the between-school residual variance for a fixed and a random model	212
Figure 16.1	Relationship between the segregation index of students' expected occupational status and the segregation index of student performance in reading (PISA 2000)	236
Figure 16.2	Relationship between the segregation index of students' expected occupational status and the correlation between HISEI and students' expected occulational status	236
LIST OF TA	BLES	
Table 1.1	Participating countries/economies in PISA 2000, PISA 2003, PISA 2006 and PISA 2009	21
Table 1.2	Assessment domains covered by PISA 2000, PISA 2003 and PISA 2006	22
Table 1.3	Correlation between social inequities and segregations at schools for OECD countries	28
Table 1.4	Distribution of students per grade and per ISCED level in OECD countries (PISA 2006)	31
Table 2.1	Design effect and type I errors	40
Table 2.2	Mean estimates and standard errors	



Table 2.3	Standard deviation estimates and standard errors	44
Table 2.4	Correlation estimates and standard errors	45
Table 2.5	ESCS regression coefficient estimates and standard errors	45
Table 3.1	Height and weight of ten persons	50
Table 3.2	Weighted and unweighted standard deviation estimate	50
Table 3.3	School, within-school, and final probability of selection and corresponding weights for a two-stage, simple random sample with the first-stage units being schools of equal size	52
Table 3.4	School, within-school, and final probability of selection and corresponding weights for a two-stage, simple random sample with the first-stage units being schools of unequal size	52
Table 3.5	School, within-school, and final probability of selection and corresponding weights for a simple and random sample of schools of unequal size (smaller schools)	53
Table 3.6	School, within-school, and final probability of selection and corresponding weights for a simple and random sample of schools of unequal size (larger schools)	53
Table 3.7	School, within-school, and final probability of selection and corresponding weights for PPS sample of schools of unequal size	54
Table 3.8	Selection of schools according to a PPS and systematic procedure	55
Table 4.1	Description of the 630 possible samples of 2 students selected from 36 students, according to their mean	59
Table 4.2	Distribution of all possible samples with a mean between 8.32 and 11.68	61
Table 4.3	Distribution of the mean of all possible samples of 4 students out of a population of 36 students	62
Table 4.4	Between-school and within-school variances on the mathematics scale in PISA 2003	65
Table 4.5	Current status of sampling errors	65
Table 4.6	Between-school and within-school variances, number of participating schools and students in Denmark and Germany in PISA 2003	66
Table 4.7	The Jackknifes replicates and sample means	68
Table 4.8	Values on variables X and Y for a sample of ten students	69
Table 4.9	Regression coefficients for each replicate sample	69
Table 4.10	The Jackknife replicates for unstratified two-stage sample designs	70
Table 4.11	The Jackknife replicates for stratified two-stage sample designs	71
Table 4.12	Replicates with the Balanced Repeated Replication method	72
Table 4.13	The Fay replicates	73
Table 5.1	Probability of success when student ability equals item difficulty	82
Table 5.2	Probability of success when student ability is less than the item difficulty by 1 unit	82
Table 5.3	Probability of success when student ability is greater than the item difficulty by 1 unit	82
Table 5.4	Probability of success when student ability is less than the item difficulty by 2 units	83
Table 5.5	Probability of success when student ability is greater than the item difficulty by 2 units	83
Table 5.6	Possible response pattern for a test of four items	85
Table 5.7	Probability for the response pattern (1, 1, 0, 0) for three student abilities	85
Table 5.8	Probability for the response pattern (1, 0) for two students of different ability in an incomplete test design	89
Table 5.9	PISA 2003 test design	91



Table 6.1	Structure of the simulated data	98
Table 6.2	Means and variances for the latent variables and the different student ability estimators	98
Table 6.3	Percentiles for the latent variables and the different student ability estimators	99
Table 6.4	Correlation between HISEI, gender and the latent variable, the different student ability estimators	99
Table 6.5	Between- and within-school variances	100
Table 7.1	HISEI mean estimates	105
Table 7.2	Squared differences between replicate estimates and the final estimate	106
Table 7.3	Output data file from Box 7.2	108
Table 7.4	Available statistics with the UNIVAR macro	109
Table 7.5	Output data file from Box 7.3	109
Table 7.6	Output data file from Box 7.4	110
Table 7.7	Percentage of girls for the final and replicate weights and squared differences	111
Table 7.8	Output data file from Box 7.5	112
Table 7.9	Output data file from Box 7.6	113
Table 7.10	Output data file from Box 7.7	114
Table 7.11	Output data file from Box 7.8	114
Table 8.1	The 405 mean estimates	118
Table 8.2	Mean estimates and their respective sampling variances on the science scale for Belgium (PISA 2006)	119
Table 8.3	Output data file from Box 8.2	121
Table 8.4	Output data file from Box 8.3	121
Table 8.5	The 450 regression coefficient estimates	123
Table 8.6	HISEI regression coefficient estimates and their respective sampling variance on the science scale in Belgium after accounting for gender (PISA 2006)	123
Table 8.7	Output data file from Box 8.5	
Table 8.8	Output data file from Box 8.6	124
Table 8.9	Correlation between the five plausible values for each domain, mathematics/quantity and mathematics/space and shape	126
Table 8.10	The five correlation estimates between mathematics/quantity and mathematics/space and shape and their respective sampling variance	
Table 8.11	Standard deviations for mathematics scale using the correct method (plausible values) and by averaging the plausible values at the student level (pseudo-EAP) (PISA 2003)	128
Table 8.12	Unbiased shortcut for a population estimate and its standard error	129
Table 8.13	Standard errors from the full and shortcut computation (PISA 2006)	130
Table 9.1	The 405 percentage estimates for a particular proficiency level	136
Table 9.2	Estimates and sampling variances per proficiency level in science for Germany (PISA 2006)	137
Table 9.3	Final estimates of the percentage of students, per proficiency level, in science and its standard error for Germany (PISA 2006)	
Table 9.4	Output data file from Box 9.3	
Table 9.5	Output data file from Box 9.4	
Table 9.6	Mean estimates and standard errors for self-efficacy in mathematics per proficiency level (PISA 2003)	
Table 9.7	Output data file from Box 9.6	
	- T	



Table 10.1	Percentage of students per grade and ISCED level, by country (PISA 2006)	144
Table 10.2	Output data file from the first model in Box 10.3	148
Table 10.3	Output data file from the second model in Box 10.3	148
Table 11.1	Output data file from Box 11.1	153
Table 11.2	Mean estimates for the final and 80 replicate weights by gender (PISA 2003)	153
Table 11.3	Difference in estimates for the final weight and 80 replicate weights between females and males (PISA 2003)	155
Table 11.4	Output data file from Box 11.2	156
Table 11.5	Output data file from Box 11.3	157
Table 11.6	Gender difference estimates and their respective sampling variances on the mathematics scale (PISA 2003)	157
Table 11.7	Output data file from Box 11.4	158
Table 11.8	Gender differences on the mathematics scale, unbiased standard errors and biased standard errors (PISA 2003)	159
Table 11.9	Gender differences in mean science performance and in standard deviation for science performance (PISA 2006)	
Table 11.10	Regression coefficient of HISEI on the science performance for different models (PISA 2006)	160
Table 11.11	Cross tabulation of the different probabilities	161
Table 12.1	Regression coefficients of the index of instrumental motivation in mathematics on mathematic performance in OECD countries (PISA 2003)	165
Table 12.2	Output data file from Box 12.1	166
Table 12.3	Output data file from Box 12.2	167
Table 12.4	Difference between the country mean scores in mathematics and the OECD total and average (PISA 2003)	170
Table 13.1	Trend indicators between PISA 2000 and PISA 2003 for HISEI, by country	176
Table 13.2	Linking error estimates	178
Table 13.3	Mean performance in reading by gender in Germany	180
Table 14.1	Distribution of the questionnaire index of cultural possession at home in Luxembourg (PISA 2006)	184
Table 14.2	Output data file from Box 14.1	186
Table 14.3	Labels used in a two-way table	186
Table 14.4	Distribution of 100 students by parents' marital status and grade repetition	187
Table 14.5	Probabilities by parents' marital status and grade repetition	187
Table 14.6	Relative risk for different cutpoints	187
Table 14.7	Output data file from Box 14.2	189
Table 14.8	Mean and standard deviation for the student performance in reading by gender, gender difference and effect size (PISA 2006)	191
Table 14.9	Output data file from the first model in Box 14.5	197
Table 14.10	Output data file from the second model in Box 14.5	197
Table 14.11	Mean of the residuals in mathematics performance for the bottom and top quarters of the PISA index of economic, social and cultural status, by school group (PISA 2003)	



Table 15.1	Between- and within-school variance estimates and intraclass correlation (PISA 2006)	204			
Table 15.2	Fixed parameter estimates	211			
Table 15.3	Variance/covariance estimates before and after centering	213			
Table 15.4	Output data file of the fixed parameters file	215			
Table 15.5	Average performance and percentage of students by student immigrant status and by type of school	216			
Table 15.6	Variables for the four groups of students	216			
Table 15.7	Comparison of the regression coefficient estimates and their standard errors in Belgium (PISA 2006)	218			
Table 15.8	Comparison of the variance estimates and their respective standard errors in Belgium (PISA 2006)	218			
Table 15.9	Three-level regression analyses	220			
Table 16.1	Differences between males and females in the standard deviation of student performance (PISA 2000)	226			
Table 16.2	Distribution of the gender differences (males – females) in the standard deviation of the student performance	226			
Table 16.3	Gender difference on the PISA combined reading scale for the 5 th , 10 th , 90 th and 95 th percentiles (PISA 2000)				
Table 16.4	Gender difference in the standard deviation for the two different item format scales in reading (PISA 2000)	228			
Table 16.5	Random and fixed parameters in the multilevel model with student and school socio-economic background	229			
Table 16.6	Random and fixed parameters in the multilevel model with socio-economic background and grade retention at the student and school levels	233			
Table 16.7	Segregation indices and correlation coefficients by country (PISA 2000)	234			
Table 16.8	Segregation indices and correlation coefficients by country (PISA 2006)				
Table 16.9	Country correlations (PISA 2000)	237			
Table 16.10	Country correlations (PISA 2006)	237			
Table 17.1	Synthesis of the 19 SPSS® macros	241			
Table A2.1	Cluster rotation design used to form test booklets for PISA 2006	332			
Table A12.1	Mapping of ISCED to accumulated years of education	457			
Table A12.2	ISCO major group white-collar/blue-collar classification				
Table A12.3	ISCO occupation categories classified as science-related occupations				
Table A12.4	Household possessions and home background indices				
Table A12.5	Factor loadings and internal consistency of ESCS 2006 in OECD countries				
	6 Factor loadings and internal consistency of ESCS 2006 in partner countries/economies				



User's Guide

Preparation of data files

All data files (in text format) and the SPSS® control files are available on the PISA website (www.pisa.oecd.org).

SPSS® users

By running the SPSS® control files, the PISA data files are created in the SPSS® format. Before starting analysis in the following chapters, save the PISA 2000 data files in the folder of "c:\pisa2000\data\", the PISA 2003 data files in "c:\pisa2003\data\".

SPSS® syntax and macros

All syntaxes and macros in this manual can be copied from the PISA website (*www.pisa.oecd.org*). These macros were developed for SPSS 17.0. The 19 SPSS® macros presented in Chapter 17 need to be saved under "c:\pisa\macro\", before staring analysis. Each chapter of the manual contains a complete set of syntaxes, which must be done sequentially, for all of them to run correctly, within the chapter.

Rounding of figures

In the tables and formulas, figures were rounded to a convenient number of decimal places, although calculations were always made with the full number of decimal places.

Country abbreviations used in this manual

AUS	Australia	FRA	France	MEX	Mexico			
AUT	Austria	GBR	United Kingdom	NLD	Netherlands			
BEL	Belgium	GRC	Greece	NOR	Norway			
CAN	Canada	HUN	Hungary	NZL	New Zealand			
CHE	Switzerland	IRL	Ireland	POL	Poland			
CZE	Czech Republic	ISL	Iceland	PRT	Portugal			
DEU	Germany	ITA	Italy	SVK	Slovak Republic			
DNK	Denmark	JPN	Japan	SWE	Sweden			
ESP	Spain	KOR	Korea	TUR	Turkey			
FIN	Finland	LUX	Luxembourg	USA	United States			



From:

PISA Data Analysis Manual: SPSS, Second Edition

Access the complete publication at:

https://doi.org/10.1787/9789264056275-en

Please cite this chapter as:

OECD (2009), "PISA and Policy Relevance – Three Examples of Analyses", in *PISA Data Analysis Manual:* SPSS, Second Edition, OECD Publishing, Paris.

DOI: https://doi.org/10.1787/9789264056275-17-en

This work is published under the responsibility of the Secretary-General of the OECD. The opinions expressed and arguments employed herein do not necessarily reflect the official views of OECD member countries.

This document and any map included herein are without prejudice to the status of or sovereignty over any territory, to the delimitation of international frontiers and boundaries and to the name of any territory, city or area.

You can copy, download or print OECD content for your own use, and you can include excerpts from OECD publications, databases and multimedia products in your own documents, presentations, blogs, websites and teaching materials, provided that suitable acknowledgment of OECD as source and copyright owner is given. All requests for public or commercial use and translation rights should be submitted to rights@oecd.org. Requests for permission to photocopy portions of this material for public or commercial use shall be addressed directly to the Copyright Clearance Center (CCC) at info@copyright.com or the Centre français d'exploitation du droit de copie (CFC) at contact@cfcopies.com.

